

Unveiling Key Factors in Disease Transmission through Explainable AI

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Introduction and Motivation

- Identifying the key factors driving disease propagation is paramount in reducing fatalities and addressing broader societal impacts.
- Infectious disease transmission is characterized by complex nonlinear dynamics making the analysis using conventional methods challenging.
- Integration of traditional modeling approaches in epidemiology with modern machine learning techniques can effectively identify the key factors influencing the outcomes of infectious disease transmission.

Research Objectives

Approach – Explainable Al

- XAI algorithms specifically designed to provide human interpretability for complex decision making.
- A neural network algorithm is trained on the synthetic data generated from the multi-strain-vaccine model.
- SHAP (SHapley Additive exPlanations) algorithm within XAI is considered to analyze the important features contributing to an increased number of fatalities during a pandemic.

White Box Model



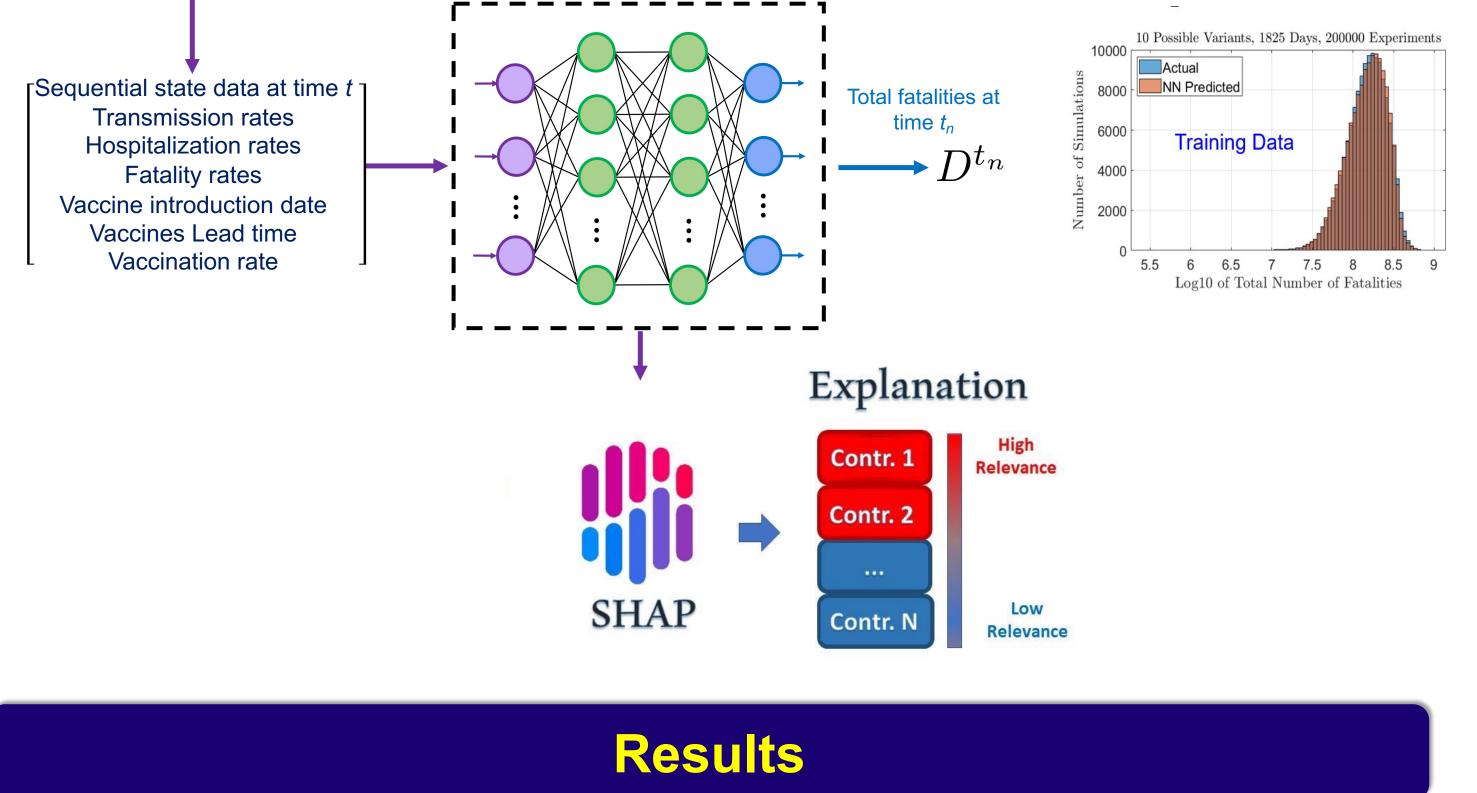
This goal is comprised of three tasks:

- Develop models of transmission that account for multiple viral strains, multiple vaccines, vaccine preferences.
- Create novel architectures of AI-enabled algorithms that can learn the fundamental nonlinear dynamic features of outbreaks.
- Develop methods to identify what features of the trained algorithms from task 3 most impact disease outcomes.

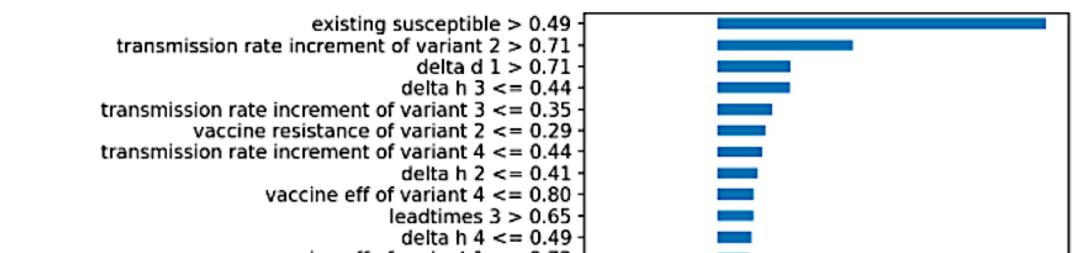
Approach – Problem Formulation

- A multi-strain-vaccine disease dynamics model has been developed.
- Disease propagation starts with the first variant, and mutation in the variant occur and results in new variants of concern.
- We have integrated all vaccine-related components, such as the introduction date, lead time, and efficacy.

$$\begin{split} S(t+1) &= S(t) - \sum_{l=1}^{K} \left[S(t) \frac{\beta^{l}(t)(l^{l}(t) + l_{v}^{l}(t))}{N} \right] - \sum_{l=1}^{K} \gamma_{SV}^{l}(1-\bar{\gamma})S(t) \\ V^{k}(t+1) &= V^{k}(t) - \sum_{l=1}^{K} \left[V^{k}(t) \frac{\beta^{l,k}(t)(l^{l}(t) + l_{v}^{l}(t))}{N} \right] + \gamma_{SV}^{k}(1-\bar{\gamma})S(t) \\ &+ \sum_{l=1}^{k-1} \left[\gamma_{VV}^{l,k}((1-\bar{\gamma})R^{l}(t) + V^{l}(t)) \right] - \sum_{l=k+1}^{K} \gamma_{VV}^{k,l}V^{k}(t) \\ E^{k}(t+1) &= E^{k}(t) + S(t) \frac{\beta^{k}(t)(l^{k}(t) + l_{v}^{k}(t))}{N} - \gamma_{El}^{k}E^{k}(t) \\ E^{k}_{v}(t+1) &= E^{k}_{v}(t) + \sum_{l\neq k}^{K} \left[R^{l}(t) \frac{\beta^{k,l}(t)(l^{k}(t) + l_{v}^{k}(t))}{N} \right] + \sum_{l=1}^{K} \left[V^{l}(t) \sum_{j} \frac{\beta^{k,l}(t)(l^{k}(t) + l_{v}^{k}(t))}{N} \right] - \gamma_{El}E^{k}_{v}(t) \\ I^{k}(t+1) &= I^{k}(t) + \gamma_{El}E^{k}(t) - (\gamma_{lH}^{k} + \gamma_{HR}^{k})I^{k}(t) \\ I^{k}(t+1) &= I^{k}(t) + \gamma_{El}E^{k}(t) - (\gamma_{vH}^{k} + \gamma_{vHR}^{k})I^{k}(t) \\ H^{k}(t+1) &= H^{k}(t) + \gamma_{HH}^{k}I^{k}(t) - (\gamma_{vHR}^{k} + \gamma_{HD}^{k})H^{k}(t) \\ H^{k}(t+1) &= H^{k}(t) + \gamma_{HH}^{k}I^{k}(t) - (\gamma_{vHR}^{k} + \gamma_{vHD}^{k})H^{k}(t) \\ R^{k}(t+1) &= R^{k}(t) + \gamma_{HR}^{k}I_{k}(t) + \gamma_{vHR}^{k}I_{k}(t) + \gamma_{vHR}^{k}H_{k}(t) + \gamma_{vHR}^{k}H^{k}(t) \\ - \sum_{l\neq k}^{K} R^{k}(t) \frac{\beta^{l,k}(t)(l^{l}(t) + l_{v}^{l}(t))}{N} - \sum_{l=k+1}^{K} \gamma_{VV}^{k}(1-\bar{\gamma})R^{k}(t) \\ P^{k}(t+1) &= R^{k}(t) + \gamma_{HR}^{k}I_{k}(t) + \gamma_{vHR}^{k}I_{k}(t) + \gamma_{VHR}^{k}I_{k}(t) + \gamma_{VHR}^{k}H^{k}(t) \\ - \sum_{l\neq k}^{K} R^{k}(t) \frac{\beta^{l,k}(t)(l^{l}(t) + l_{v}^{l}(t))}{N} - \sum_{l=k+1}^{K} \gamma_{VV}^{k}(1-\bar{\gamma})R^{k}(t) \\ \end{array}$$



The factors that have the greatest impact on the fatality rate during a 5-year simulation of disease dynamics are identified.



vaccine eff of variant 1 <= 0.72 -	
delta h 5 <= 0.48 -	
gamma disc 5 <= 0.50 -	
delta d 2 <= 0.15 -	
vaccine resistance of variant 4 <= 0.43	
vaccine eff of variant 5 <= 0.79 -	
vaccine resistance of variant 5 <= 0.49	
gamma vaccine effectiveness of variant 5 <= 0.50	
vaccine resistance of variant 3 <= 0.35	
transmission rate increment of variant 5 <= 0.51 -	
delta d 4 <= 0.27 -	
delta d 5 <= 0.36 -	
leadtimes 4 > 0.57 -	
leadtimes 2 > 0.71 -	
leadtimes 5 <= 0.50 -	
delta h 1 > 0.80 -	-
interval 2 <= 0.02 -	
delta d 3 <= 0.19 -	
gamma disc 4 <= 0.44 -	
0.50 < transmission rate increment of variant 2 <= 0.71	
0.42 < delta d 1 <= 0.71	
leadtimes 1 > 0.75 -	 Image: A set of the set of the
basic vaccination rate <= 0.24	 Image: A set of the set of the
existing vaccinated 2 <= 0.00	 Image: A set of the set of the
gamma vaccine effectiveness of variant 4 <= 0.44	
0.02 < interval 2 <= 0.08	
transmission rate increment of variant 1 <= 0.25	
interval 3 <= 0.02	1 () () () () () () () () () (
0.50 < leadtimes 2 <= 0.71	1
0.50 < leadtimes 3 <= 0.65	1 () () () () () () () () () (
vaccine eff of variant 2 <= 0.74	1
0.59 < delta h 1 <= 0.80	1
existing vaccinated 4 <= 0.00	1
0.50 < leadtimes 1 <= 0.75	1
0.24 < basic vaccination rate <= 0.49	I

Conclusions

- An AI-enabled algorithm combined with compartmental modeling methods is proposed to detect the features that affect disease outcomes the most
- The parameters that affect the disease outcome depend on the current state of a pandemic, and might vary as time evolves

 $D^{k}(t+1) = D^{k}(t) + \gamma^{k}_{HD}H_{k}(t) + \gamma^{k}_{\nu HD}H^{k}_{\nu}(t)$

